#### Collective Activity Detection using Hinge-loss Markov Random Fields

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#### Motivation



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Classify the individual actions

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- Classify the individual actions
- Track the multiple targets





• Action transitions are unlikely





• Action transitions are typically not arbitrary





• Individual actions are consistent in proximity





• Individual actions are consistent in proximity

## **Related Work**

Original action recognition work focused on the isolated person case



Shuldt et al., ICPR 2004



Blank et al., CVPR 2005

• Following work investigated either pairwise interactions or group activity as the activity of the majority



Ryoo and Agarwal, ICCV 2009



Lan et al., NIPS 2010

## **Related Work**

 More recent work looked at coupling activity recognition, tracking, and scene labeling



Choi and Savarese, ECCV 2012



Khamis et al., ECCV 2012

• While others modeled activities at multiple levels: individual, group, and inter-group



Amer et al., ECCV 2012

# Our Approach

#### An Introduction to Hinge-loss MRFs and PSL

# Our Approach

- Problem needs scalable solution that handles complex dependencies and tracking constraints
- Hinge-loss Markov Random fields (HL-MRFs) are a new class of models that meet these goals
  - Log-concave densities over continuous variables
  - Support fast inference of global solutions
  - New paper on structured prediction at UAI 2013
- Probabilistic soft logic (PSL) allows easy encoding of intuitions
  - Converts logical rules to HL-MRFs

### Hinge-loss Markov Random Fields

$$p(\mathbf{Y}|\mathbf{X}) = \frac{1}{Z} \exp\left[-\sum_{j=1}^{m} w_j \max\{\ell_j(\mathbf{Y}, \mathbf{X}), 0\}^{p_j}\right]$$

- Continuous variables in [0,1]
- Potentials are hinge-loss functions
- Subject to arbitrary linear constraints
- Log-concave!



# Inferring Most Probable Explanations

• Objective:

$$\arg\max_{\mathbf{Y}} p(\mathbf{Y}|\mathbf{X}) = \arg\min_{\mathbf{Y}} \sum_{j=1}^{m} w_j \max\{\ell_j(\mathbf{Y}, \mathbf{X}), 0\}^{p_j}$$

- Convex optimization
- Decomposition-based inference algorithm using the ADMM framework

# Alternating Direction Method of Multipliers

- Inference with ADMM is fast, scalable, and straightforward
- Optimize subproblems (ground rules) independently, in parallel
- Auxiliary variables enforce
   consensus across subproblems



# Weight Learning

- Various methods to learn from training data:
  - approximate maximum likelihood
  - o maximum pseudolikelihood
  - large-margin estimation
  - o [Broecheler et al., UAI 2010; Bach et al., UAI 2013]
- State-of-the-art learning performance on
  - Collective classification
  - Social-trust prediction
  - Preference prediction
  - o Image reconstruction
- Here we use approximate maximum likelihood

# Probabilistic Soft Logic

- HL-MRFs are easy to define
- Hinge-losses can generalize logical operators

1.8:  $Doing(X, walking) \leftarrow SamePerson(X, Y) \land Doing(Y, walking)$ 

- Lukasiewicz T-norm
  - $\circ A \lor B = \min\{1, A + B\}$
  - $\circ A \land B = \max\{0, A + B 1\}$



# Grounding to HL-MRFs

Ground out first-order rules

- Variables: soft-truth values of atoms
- Hinge-loss potentials: weighted distances to satisfaction of ground rules
- $w: A \rightarrow B$   $w: \neg A \lor B$   $w \times (1 - \min\{1 - A + B, 1\})$  $w \times \max\{A - B, 0\}$
- The effect is assignments that satisfy weighted rules more are more probable

### A PSL Model for Collective Activity Detection

A Collective Activity Detection Model in PSL

#### Features: Low-Level

 Histogram of Oriented Gradients (HOG) [Dalal & Triggs, CVPR 2005]



- Describe image patches by a distribution of gradient magnitudes binned by angle
- We train SVMs to predict on HOG features

#### Features: Low-Level

Action Context Descriptor (ACD) [Lan et al, NIPS 2010]



- Model context by aggregating SVM outputs on HOG features across multiple spatiotemporal neighborhoods
- E.g, actions like talking cannot be represented by the HOG features of one person

### Local Information

Use low-level detectors

 $w_{local,a}$ : Doing(X, a)  $\leftarrow$  Detector(X, a)

• E.g.,

$$\begin{split} & w_{local,walking} : \text{Doing}(X, walking) \leftarrow \text{Detector}(X, walking) \\ & w_{local,talking} : \text{Doing}(X, talking) \leftarrow \text{Detector}(X, talking) \\ & w_{local,walting} : \text{Doing}(X, walting) \leftarrow \text{Detector}(X, walting) \end{split}$$

(defined for all actions)

## Frame Consistency

- Most people in frame do the same action
- Ground truth is aggregate of descriptors

 $W_{\text{frame,a}}$ : Doing(X, a)  $\leftarrow$  Frame(X, F)  $\land$  FrameAction(F, a)

# **Effect of Proximity**

• People that are close (in frame) are likely doing the same action

 $w_{\text{prox},a}$ : Doing(X, a)  $\leftarrow$  Close(X, Y)  $\land$  Doing(Y, a)

Closeness is measured via a radial basis function





- Persistence rules
  - People are likely to continue doing the same action

```
w_{\text{persist,a}}: Doing(Y, a) \leftarrow SamePerson(X, Y) \land Doing(X, a)
```

- Requires identity maintenance for SamePerson
- Identity maintenance

 $w_{id}$ : Same(X, Y)  $\leftarrow$  Sequential(X, Y)  $\land$  Close(X, Y)

### **Action Transitions**

Can define rules for transitioning between actions

 $w_{trans,a,b}$ : Doing(Y, b)  $\leftarrow$  SamePerson(X, Y)  $\land$  Doing(X, a)

- Defined over all pairs of actions (a,b)
- Effect is similar to the state transition matrix of an HMM

### **Priors and Constraints**

- Prior beliefs
  - Encode prior beliefs about SamePerson and Doing predicates

w:  $\sim$ SomePerson(X, Y) w:  $\sim$ Doing(X, a)

- Constraints
  - Functional constraint on Doing ensures that soft-truth values for each person sum to 1
  - Partial-functional constraint on SamePerson ensures that soft-truth values for each person sum to at most 1

## Experiments

#### Dataset

- University of Michigan, "Collective Activity"
- Annotated activities, poses, trajectories
  - We don't use poses, trajectories
  - We only use activity annotations for training
- 2 common splits:
  - 5-label: [ crossing, walking, waiting, talking, queueing ]
    - 44 sequences
  - 6-label: [crossing, waiting, talking, queueing, dancing, jogging ]
    - 63 sequences

http://www.eecs.umich.edu/vision/activity-dataset.html

### PSL Model

 $w_{id}$ : Same(X, Y)  $\leftarrow$  Sequential(X, Y)  $\land$  Close(X, Y)

w<sub>idprior</sub>: ~SamePerson(X, Y)

For all actions a:

 $w_{local,a}$ : Doing(X, a)  $\leftarrow$  Detector(X, a)

 $w_{\text{frame},a}$ : Doing(X, a)  $\leftarrow$  Frame(X, F)  $\land$  FrameAction(F, a)

 $w_{prox,a}$ : Doing(X, a)  $\leftarrow$  Close(X, Y)  $\land$  Doing(Y, a)

 $w_{\text{persist,a}}$ : Doing(Y, a)  $\leftarrow$  SamePerson(X, Y)  $\land$  Doing(X, a)

 $W_{prior,a}$ : ~Doing(X, a)

# Methodology

- Measure benefit of high-level reasoning
  - One model using HOG SVM scores, another using ACD SVM scores
  - Measure lift over low-level detectors
- Leave-one-out cross-validation
  - Train on all but one sequence
  - Test on hold-out
  - Accumulate test statistics over all hold-outs
    - Compensates for varying lengths and label distributions

#### Results

	5-Action		6-Action	
	Accuracy	F1	Accuracy	F1
HOG SVM	0.474	0.481	0.596	0.582
HL-MRF + HOG	0.598	0.603	0.793	0.789
ACD SVM	0.675	0.678	0.835	0.835
HL-MRF + ACD	0.692	0.693	0.860	0.860

## What about MLNs?

- Also compare against an identical Markov logic network (MLN) model
  - Inference and MLE in MLNs are generally intractable
  - MaxWalkSat for learning
  - MCSAT for test-time inference

#### Results

	5-Action		6-Action	
	Accuracy	F1	Accuracy	F1
HOG SVM	0.474	0.481	0.596	0.582
MLN + HOG	0.657	0.657	0.809	0.803
HL-MRF + HOG	0.598	0.603	0.793	0.789
ACD SVM	0.675	0.678	0.835	0.835
MLN + ACD	0.687	0.685	0.850	0.850
HL-MRF + ACD	0.692	0.693	0.860	0.860

Speed

#### Average running time

	Cora	Citeseer	Epinions	Activity
MLN	110.9 s	184.3 s	212.4 s	344.2 s
HL-MRF	0.4 s	0.7 s	<b>1.2</b> s	0.6 s

[Bach et al., UAI 2013]

#### • MLN inference is **slow**

MCSAT is poly-time, but slow

#### • HL-MRF inference is fast

 In practice, we find that inference scales linearly with the number of potentials

# Improved PSL Model

- Scene consistency
  - Certain sequences tend to have a single majority action
  - Improved performance in [Khamis et al., ECCV 2012]
- In-frame/sequence interactions

   E.g., Maybe walking and crossing frequently co-occur together?
- Latent variables
  - E.g., Group actors into same-action clusters, reason about cluster interactions

### Conclusion

- HL-MRFs are a powerful class of graphical models
  - Capable of fast MPE inference
  - Faster inference than discrete models (e.g., MLNs)
- PSL facilitates easy construction of HL-MRFs
   First-order-logic syntax
- Using HL-MRFs/PSL for high-level vision yields significant improvement over low/mid-level detectors

Thank you!

- PSL info at http://psl.cs.umd.edu/
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